

## Characterisation of intermittency in chaotic systems

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## Addendum

### Characterisation of intermittency in chaotic systems

R Benzi, G Paladin, G Parisi and A Vulpiani 1985 *J. Phys. A: Math. Gen.* **18** 2157-65

We would like to point out that in the case of chaotic maps  $g$  supported by measures with Hausdorff dimension  $D_H$ , the reasonable weight to be assumed is  $|(g^{(n)})'|^{-D_H}$  instead of  $|(g^{(n)})'|^{-1}$  as for absolutely continuous measures (with  $D_H = 1$ ).

The ensemble average on the set of unstable fixed points of  $g$  therefore leads us to change relations (26) and (27) to

$$L(D_H - \beta) = -\beta F(g, \beta)$$

$$\lambda = U(g, \beta)|_{\beta = D_H}.$$

The Bowen theorem (Bowen 1975) which assures that for axiom A systems  $F(D_H) = 0$  supports our assumption on the weight as the theorem is obviously satisfied noting the trivial equality  $L(0) = 0$ .

### Reference

Bowen R 1975 *Equilibrium States and the Ergodic Theory of Anosov Diffeomorphism (Lectures Notes in Math.* vol 470) (Berlin: Springer)